

Calculation of $\omega\gamma$ for $^{21}\text{Ne}(p, \gamma)$ reaction

Step 1: Calculate k, the EM0 response

$$k = \frac{\text{beamions}}{\text{EM0count}} = 3.52 \times 10^7 \pm 0.04 \times 10^7$$

Step 2: calculate partial yields

$$Y_{x+} = \frac{N_{x+}^{\text{DSSSD}}}{kN_{x+}^{\text{EM0}}}$$

where N^{DSSSD} = total coincidence counts/BGO efficiency
and BGO efficiency = 0.435 +/- 0.02

Step 3: calculate total yield

$$Y = \sum Y_x = 4.8 \times 10^{-10} \pm 0.4 \times 10^{-10}$$

Step 4: calculate the stopping cross section, ε

$$\varepsilon = \frac{\Delta E}{N^+ g^+} = 8.86 \times 10^{-14} \pm 0.09 \times 10^{-14}$$

Step 5: calculate $\omega\gamma$

$$\omega\gamma = \frac{2Y\varepsilon}{\lambda^2} \frac{M}{m+M} = 118 \pm 11$$

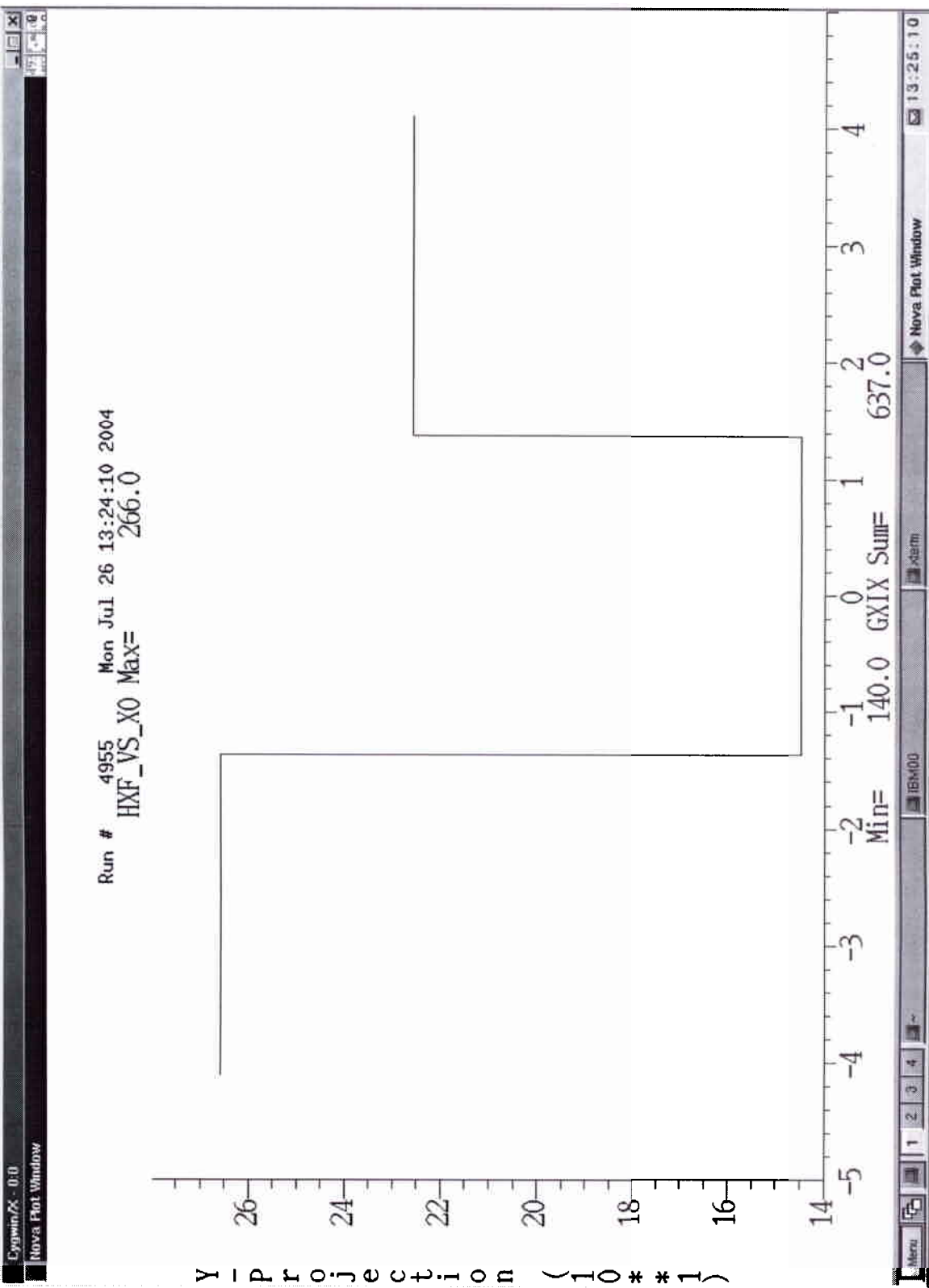
Taking BGO left and right asymmetry into account

$$\underline{\omega\gamma = 118 +35/-11 \text{ meV}}$$

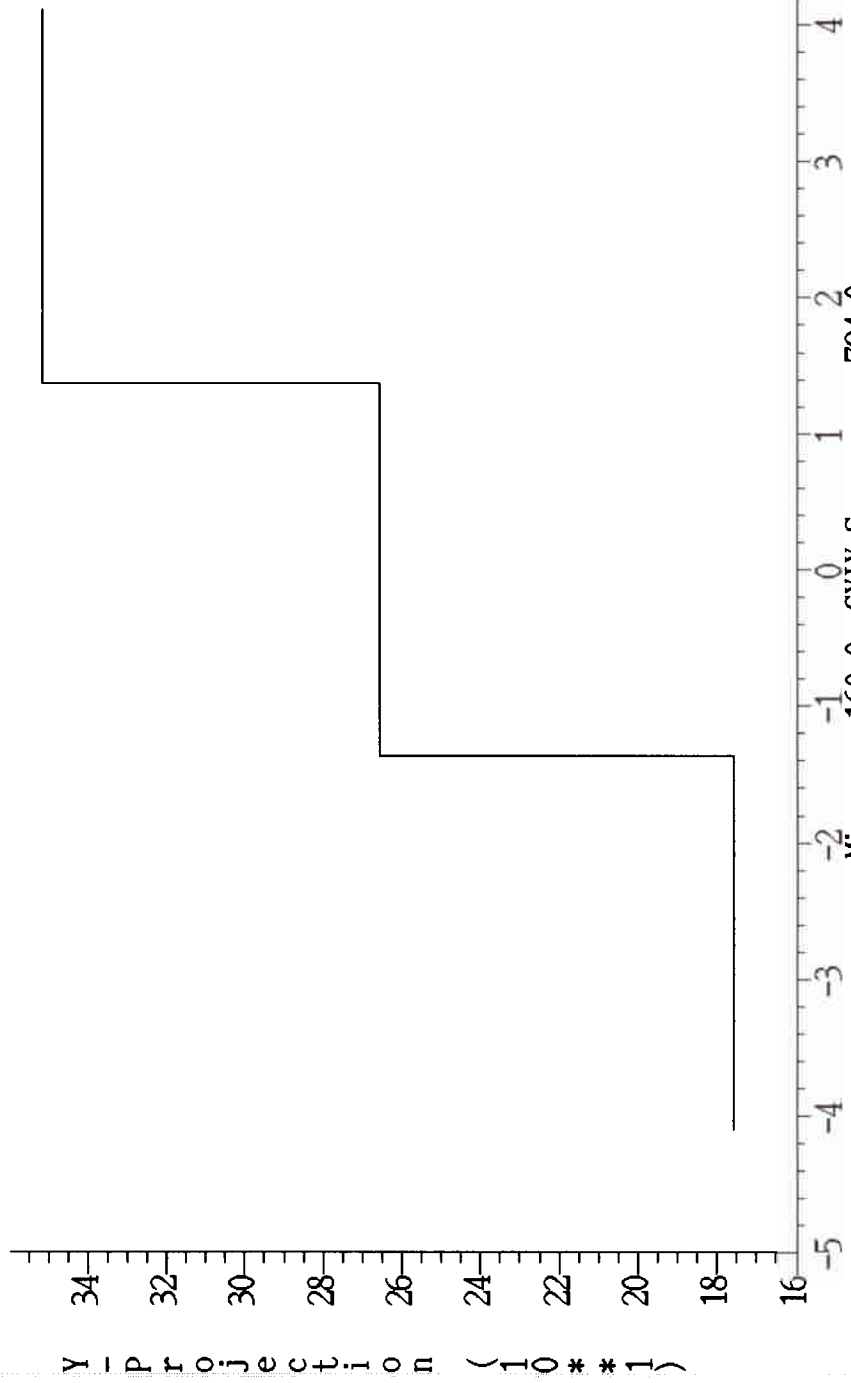
Comparing with previous results

Run #	BGO efficiency	Yield	strength meV
4955	0.49	5.76E-10	131.2
5232	0.48	4.94E-10	112.6
12199	0.501	6.59E-10	150.2
12836-12841	0.435 +/- 0.02	4.84E-10 +/- 0.43E-10	118 +35/-11

Previously published strength: 82 +/- 12.5 meV



Run # 12836 Mon Jul 26 10:52:04 2004
HXF_VS_X0 Max= 352.0



Min= 160.0 GXIX Sum= 794.0